



# Arithmetic 1 as an entry into Mathematics

---

Presented by Dr. Robin Bacchus

- Arithmetic can be seen as an entry into Mathematics
- **Mathematics** is the science and study of quality, structure, space, and change by seeking out patterns and formulating new conjectures, from the Greek '*manthanein*' to learn.
- One could say: Mathematics is an intelligent human response to the discovery of the wonders of existence.

- At first, as a child, the world, over which the sun shines, appears to us as an outer **Oneness**.
- We next differentiate PARTS of existence from their background, so they become separate. This requires discrimination (a process called *analysis*).  
Once the parts are separated in our mind, we can count them, acknowledge them.

- **Arithmetic** is the 'art of counting' from the Greek 'arithmos' number.
- Numbers are not things – they are 'ideas'. So Arithmetic is, essentially, a thinking activity – a 'spiritual' science. Most children encounter this early in their schooling.

The three soul forces of  
**willing, feeling and thinking**  
are involved

# Willing

- **Willing:** When counting objects of a similar nature, say apples (or in a classroom, maybe, 'beanbags') in a basket. One first perceives a unity, a 'basket'.
- On analysis – an important activity for a school child – the basket is seen to contain many bean-bags. How many? Let's count! Now the activity: grasp a bean-bag ... put it on the table, and say "one" ... take a second bean-bag ... put on the table beside the first one, and say "two" ... and so on until no bean-bags are left in the basket and a new pile has been formed on the table (synthesis).
- The will activities incurred have been '*grasp*', '*put*', '*say*'.

How many bean-bags? Let's Count -  
take them out one by one:  
( Full ) >>>1>>>2>>>3>>>4>>>5>>> ( Empty )



# Feeling

- **Feeling** in this situation is connected with the relationships between 'things' or 'beings', namely between the 'numbers' in the sequence which we learn by rote (like poetry) for counting, 'one, two, three, four, five ...'
- We get to know that 'one' comes first; that 'four' comes after 'three' but before 'five'.
- Every language, a child of feeling, has its own set of Counting Numbers. We know the numbers 'by heart'.

# Thinking

- **Thinking** is a more reflective process. Here it is concerned with the essential character of each number.

‘**One**’ is all alone, I, it is lonely, so it needs to be strong and resolute. In one sense, the whole world is ‘one’.

‘**Two**’ has a partner – they can stand side by side: II, as a pair, wings on a bird or butterfly. Left and right hand (eye, ear, foot, etc.). But they can also form a polarity, such as father-mother; day-night; sun-moon; up-down; forwards-backwards; window-wall; sky-earth. Can you think of more?

‘**Three**’ can be more complex. When three stand side by side, III, one is in the middle, with the ends being a polarity: mother-child-father; left-centre-right, Or three, 3, can form a tripod of equals, as the three legs of a stool. They may form a sequence: dawn-day-dusk.

- **‘Four’** is the number of legs that cat, dog, cow and chair have. Wheels on a car. Directions: north, east, south, west. Earth, water, air, fire.
- **Five**
- **Six**
- **Seven**
- And so on with larger numbers – children love discovering ‘numbers’ inherent or hidden in their environment.

- Many things connected with maths can be seen in the light of the three soul forces engaged in the early years:

- **Will**: creating and working with *patterns* and form; counting objects – determining quantity. *Writing* numbers; number *operations* [adding, subtracting, multiplying, dividing, etc.]; calculations. Involving action, **change**.
- **Feeling**: *rhythm* and *rhyme*, counting sequence, relationships [*equations*: equals =, larger >, smaller < than]; ordinal numbers – rank, position [first, second, etc.]. Involving **judgment**.
- **Thinking**: the essence of number, *symbols*, *concepts*, cognition; qualitative aspects. Involving **imagination**, picturing.

- With the names for numbers used in various European languages, it is interesting to see their similarity;
- the interchangeability of **T** and **D** and **Z** ,
  - or of **S** and **H** when spoken.

#	English	Latin	French	German	Spanish	Greek
1	One	Unus	Un	Eins	Uno	Ena (Ένα)
2	Two	Duo	Deux	Zwei	Dos	Dyo (Δύο)
3	Three	Tres	Trois	Drei	Tres	Tria (Τρία)
4	Four	Quattuor	Quatre	Vier	Cuatro	Tessera (Τέσσερα)
5	Five	Quinque	Cinq	Fünf	Cinco	Pente (Πέντε)
6	Six	Sex	Six	Sechs	Seis	Hexa (Έξι)
7	Seven	Septem	Sept	Sieben	Siete	Hepta (Επτά)
8	Eight	Octo	Huit	Acht	Ocho	Octo (Οκτώ)
9	Nine	Novem	Neuf	Neun	Nueve	Ennea (Εννέα)
10	Ten	Decem	Dix	Zehn	Diez	Deca (Δέκα)

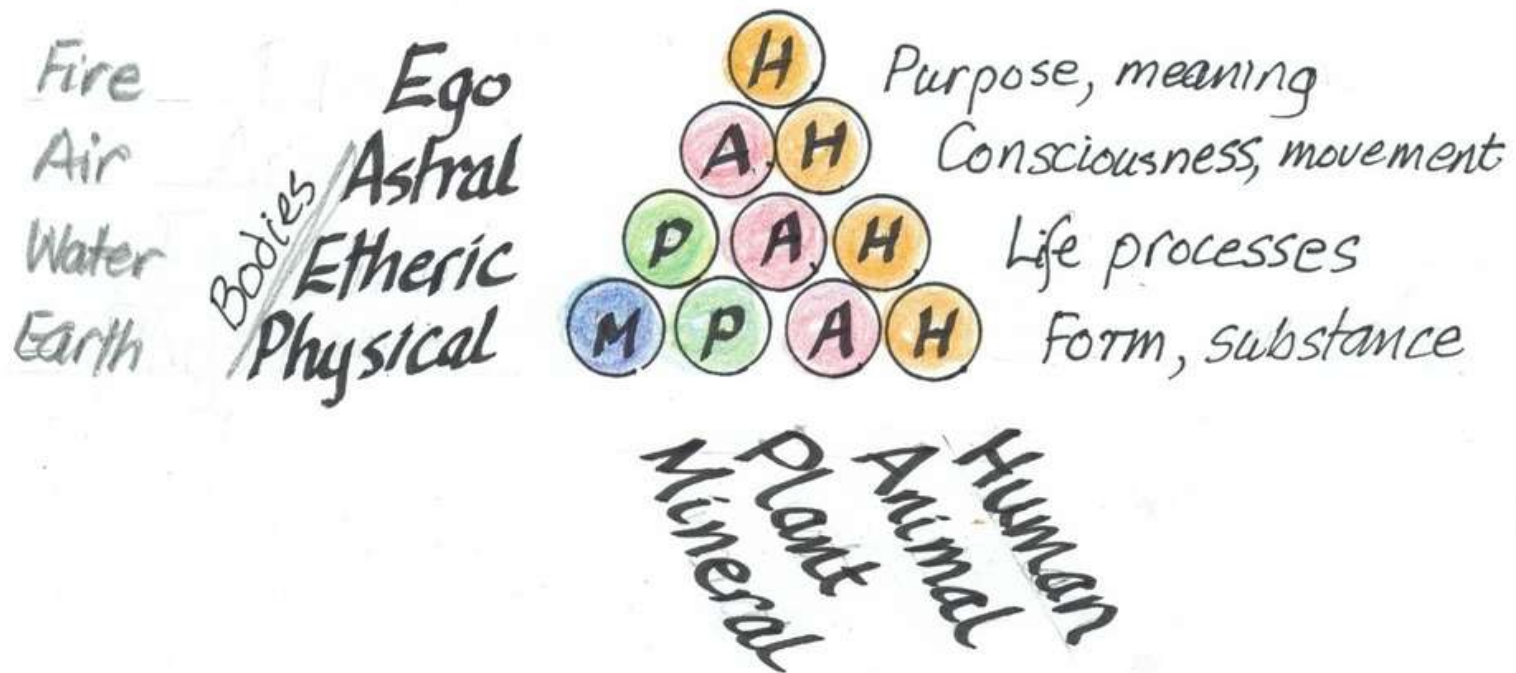
# Number Base for counting?

- They are all based on ten - the number of digits on our two hands. Also,  $10=1+2+3+4$  (sum of the first four numbers).
- It is interesting that 7 (a prime number) is used in counting time: **7** days in a week - based on the **7** heavenly lights that move across the firmament of the stars [Sun, Moon, Mercury, Venus, Mars, Jupiter, Saturn.]
- A human lifetime is loosely divided into 7-year epochs until the age of 63.

# Other Bases

- There are **13** weeks in a season and **4** seasons in a year, but then there are **12** months in a year. A **dozen** [12] is used in packing things, like eggs. Day and night each have 12 hours! 12 is an 'abundant'/'rich' number as it has many [4] factors:  
 $12=2 \times 6=3 \times 4$ ,  $1+2+3+4+6=16 > 12$   
while ten is a 'poor' number - it has only two:  $10=2 \times 5$ .  $1+2+5=8 < 10$
- The ancient Sumerian civilisation had a base of **60**. The legacy of that is 1 hour = 60 minutes [minute means small]; and 1 minute = 60 seconds [ the parts of the hour were 'first'; these are 'second']
- Anyway, ten has been universally adopted by the modern world as the base for counting.  $100=10 \times 10$ ;  $1,000 = 10 \times 10 \times 10$  and so on.

A more esoteric reason may be that ten has been considered of the Earth because of the four natural realms Mineral. Plant, Animal, Human as shown in this diagram where  $1+2+3+4=10$



- When doing Arithmetic, writing the full name is rather laborious; we need a **quicker** system of making marks, or in some other way to keep track, to represent the number.
- Historically, it has been quite a journey to arrive at the symbols used so widely today. Let's explore:
- What patterns can be made out of each number of small items - in a classroom a selection of florist's coloured glass pebbles. Here are some - note the relation between Even and Odd - what do you see?

